

4

Mechanisms of Organic Reactions

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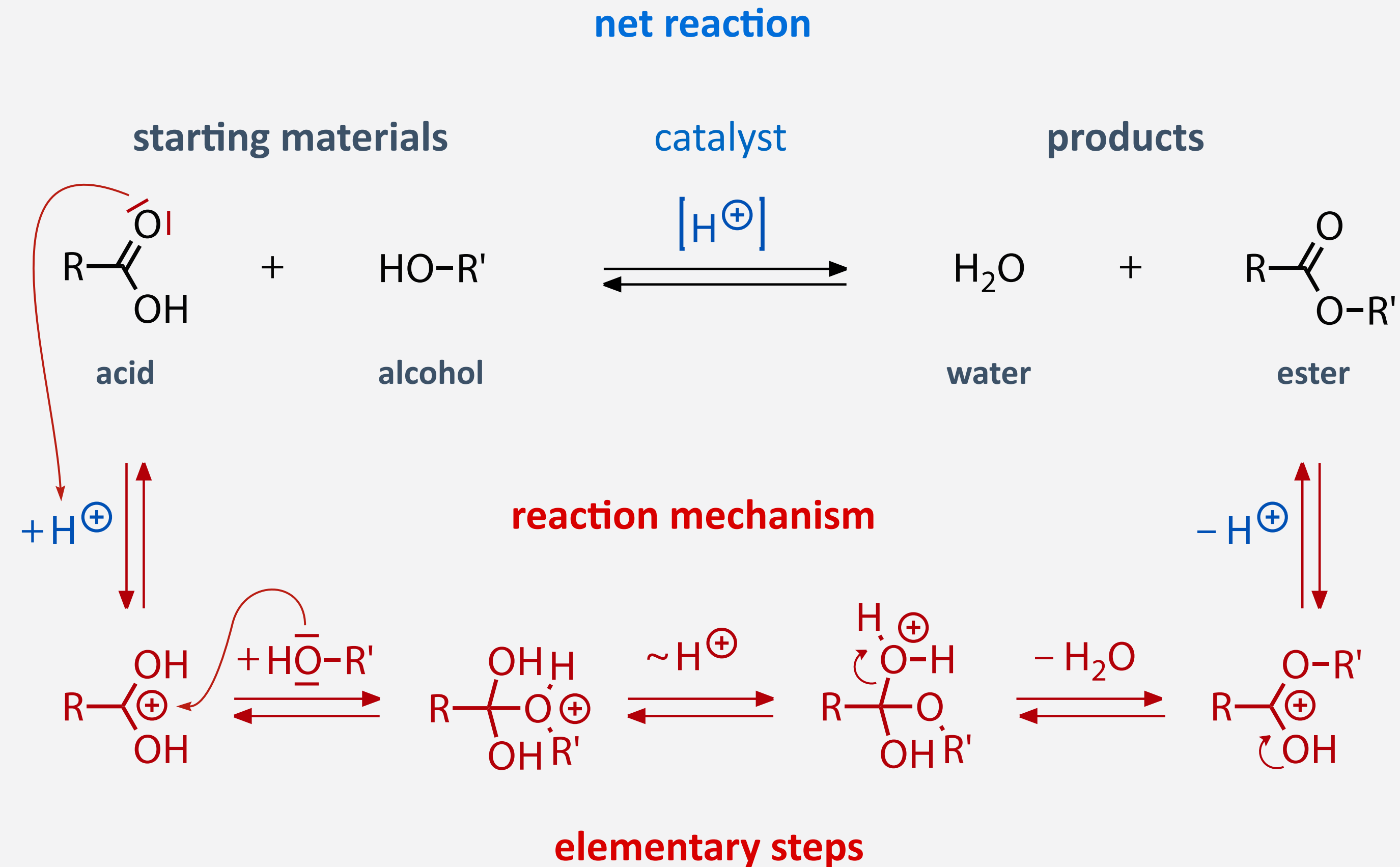
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Learning Goals and Reading Recommendations

- **thermodynamics concerned with the energy balance of reactions**
- **kinetics concerned with the rates of reactions**
- **identify nucleophilic centers, electrophilic centers, leaving groups**
 - compare nucleophilicity of different nucleophiles
 - estimate stabilization of electrophilic centers
 - estimate leaving group quality from the pK_a values of the corresponding acids
- **formulate substitution, addition, elimination reactions**

4.1 Reaction Thermodynamics and Kinetics

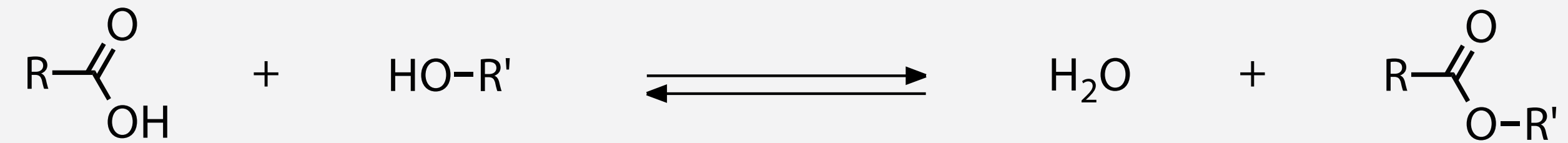
Net Reaction versus Mechanism



- **net reaction** describes the starting materials and the products of a reaction
- **reaction mechanisms** describes the individual elementary steps of the reaction
- **catalyst** takes part in the reaction mechanism but is retained unchanged

Thermodynamics of Chemical Reactions

- **reaction thermodynamics** are concerned with the overall energy balance of chemical reactions



$$\Delta G_R = \Delta G_R^\ominus + RT \ln \frac{[\text{R}-\text{COOR}'] [\text{H}_2\text{O}]}{[\text{R}-\text{COOH}] [\text{R}'-\text{OH}]}$$

$\Delta G_R > 0$ **endergonic reaction**, runs from right to left

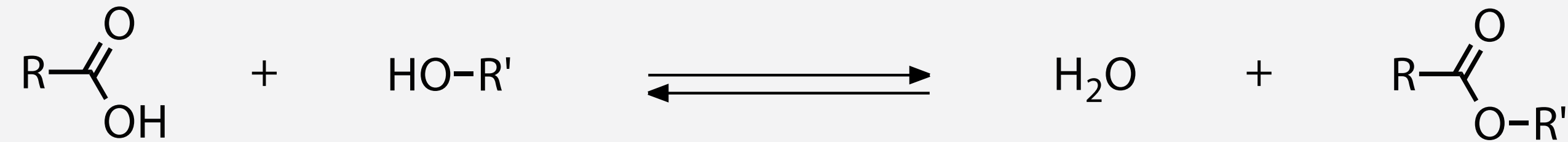
$\Delta G_R = 0$ **reaction is in equilibrium**

$\Delta G_R < 0$ **exergonic reaction**, runs from left to right

- **Gibbs' free reaction energy ΔG_R** determines whether / in which direction the reaction runs
- standard Gibbs' free reaction energy $\Delta G_R^\ominus$ at standard conditions (1 bar, 25°C, 1 mol/L)

The Chemical Equilibrium

- chemical reactions in a closed system progress until they reach thermodynamic equilibrium



$$\Delta G_R = \Delta G_R^\ominus + RT \ln \frac{[\text{R}-\text{COOR}']_{\text{eq}} [\text{H}_2\text{O}]_{\text{eq}}}{[\text{R}-\text{COOH}]_{\text{eq}} [\text{R}'-\text{OH}]_{\text{eq}}} = 0$$

$$K_R = \frac{[\text{R}-\text{COOR}']_{\text{eq}} [\text{H}_2\text{O}]_{\text{eq}}}{[\text{R}-\text{COOH}]_{\text{eq}} [\text{R}'-\text{OH}]_{\text{eq}}} \quad pK_R = -\log K_R$$

$$\Delta G_R^\ominus = -RT \ln K_R \quad pK_R \propto \frac{\Delta G_R^\ominus}{RT}$$

- equilibrium constant K_R** is the ratio of reactant concentrations in equilibrium
- standard free reaction energy $\Delta G^\ominus_R$** determines position of the equilibrium (at 25°C)

Reaction Enthalpy and Entropy

- **Gibbs-Helmholtz equation** dissects free reaction energy into **enthalpic/entropic** contributions



$$\Delta G_R^\ominus = \Delta H_R^\ominus - T \Delta S_R^\ominus \quad \text{Gibbs-Helmholtz Equation}$$

$$\Delta H_R^\ominus < 0 \quad \text{exothermic reactions, sum of all bond energy changes negative}$$

$$\Delta H_R^\ominus > 0 \quad \text{endothermic reactions, sum of all bond energy changes positive}$$

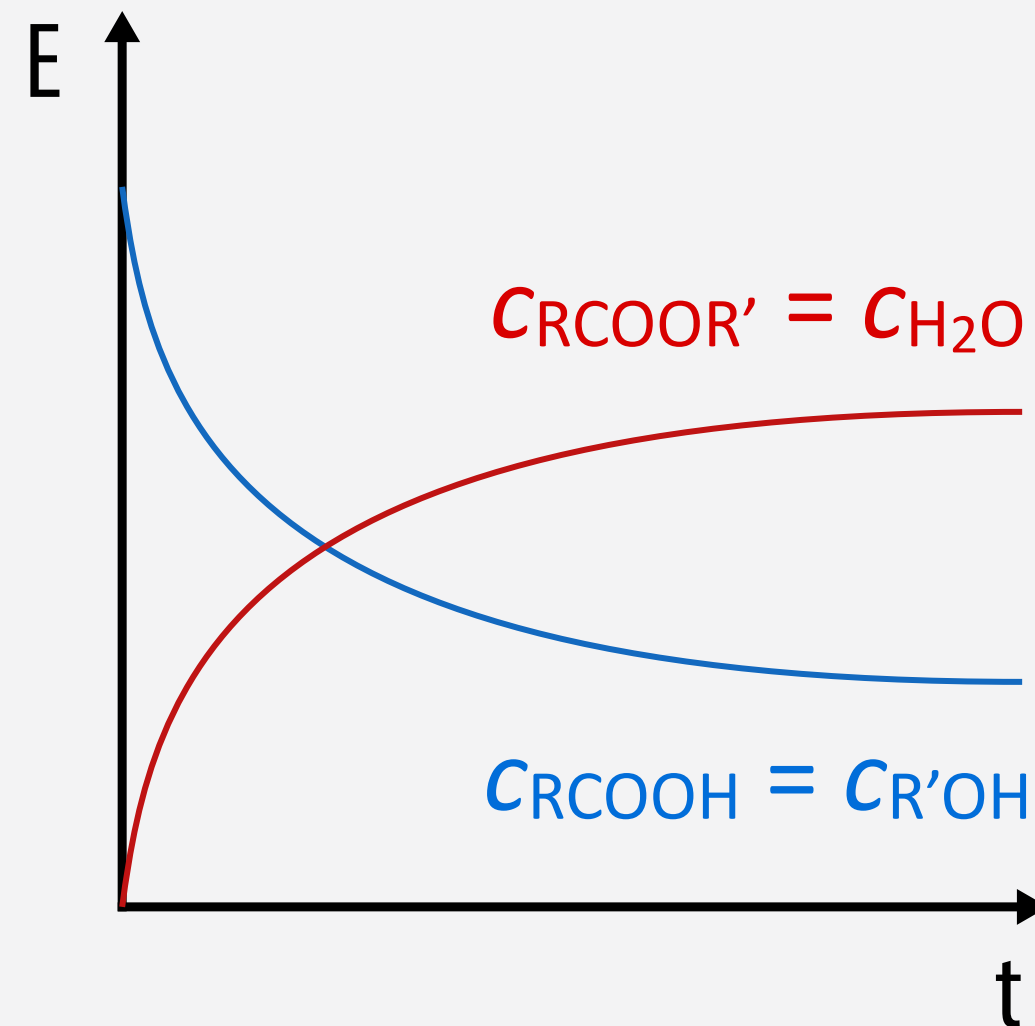
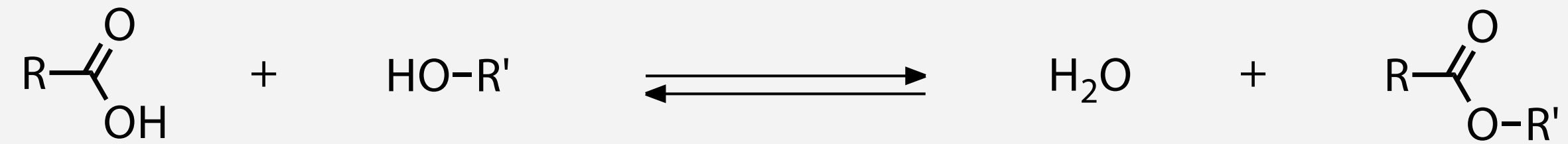
$$\Delta S_R^\ominus < 0 \quad \text{exotropic reactions, disorder, degrees of freedom decrease}$$

$$\Delta S_R^\ominus > 0 \quad \text{endotropic reactions, disorder, degrees of freedom increase}$$

- **reaction enthalpy ΔH°_R** is negative (favorable) if bond energies in products are higher
- **reaction entropy ΔS°_R** is positive (favorable) if the disorder within the system increases

Kinetics of Chemical Reactions

- **reaction kinetics** describe “how fast” reactions proceed from initial state towards equilibrium



$$r = \frac{dc(t)_{\text{RCOOH}}}{dt} = -k \cdot c(t)_{\text{RCOOH}} \cdot c(t)_{\text{ROH}} = -k \cdot c(t)_{\text{RCOOH}}^2$$

$$r = \int \frac{dc(t)_{\text{RCOOH}}}{c(t)_{\text{RCOOH}}^2} = -k \int dt$$

$$c(t)_{\text{RCOOH}} = \frac{1}{1 + kc(0)_{\text{RCOOH}} t}$$

- **reaction rates $r = dc_i/dt$ describe the change of the concentrations c_i over time**
- rate laws describe the relation between reaction rates r_i and substrate concentrations c_i
- rate laws are differential equations solved by integration, polynomial/exponential functions

Reaction Order and Molecularity of Chemical Reactions

- reaction rates r proportional to reactant concentrations according to molecularity

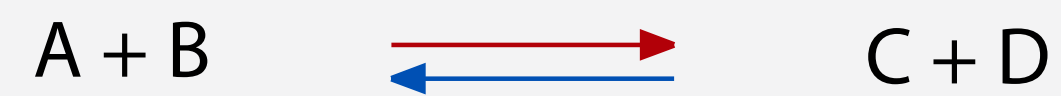
first order $r_{1f} = k_{1f} \cdot [A]$	monomolecular A	monomolecular B	first order $r_{1r} = k_{1r} \cdot [B]$
second order $r_{2f} = k_{2f} \cdot [A][B]$	bimolecular A + B	bimolecular C + D	second order $r_{2r} = k_{2r} \cdot [C][D]$
third order $r_{3f} = k_{3f} \cdot [A][B][C]$	trimolecular A + B + C	monomolecular D	first order $r_{3r} = k_{3r} \cdot [D]$
third order $r_{4f} = k_{4f} \cdot [A]^2[B]$	trimolecular 2 A + B	bimolecular 2 C	second order $r_{4r} = k_{4r} \cdot [C]^2$

- molecularity** is the number of molecules of each type involved in an elementary reaction
- reaction order** is the sum of all exponents of the reactant concentrations in the rate law
- for simple, single-step reactions, the molecularity strictly determines the reaction order

Relation of Reaction Thermodynamics and Kinetics

- the thermodynamic equilibrium of a chemical reaction is a dynamic equilibrium

$$r_{2f} = k_{2f} \cdot [A][B]$$



$$r_{2r} = k_{2r} \cdot [C][D]$$

$$r_{2f} = r_{2r}$$

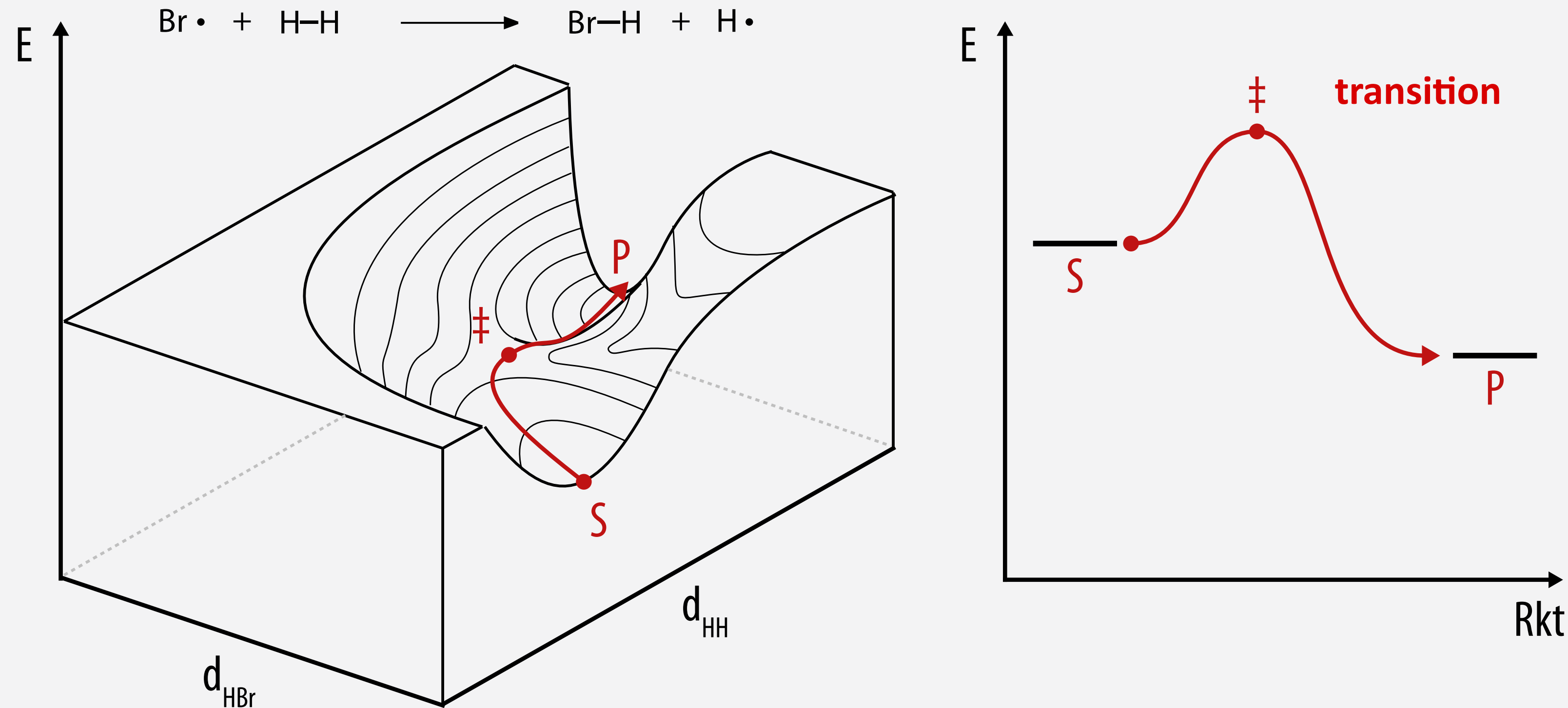
$$k_{2f} \cdot [A][B] = k_{2r} \cdot [C][D]$$

$$\frac{k_{2f}}{k_{2r}} = \frac{[C][D]}{[A][B]} = K$$

- ratio of rate constants of forward and reverse reactions determines equilibrium constant K
- the higher the rate constant of the forward relative to the reverse reaction, the larger is K

Simplified Reaction Profiles

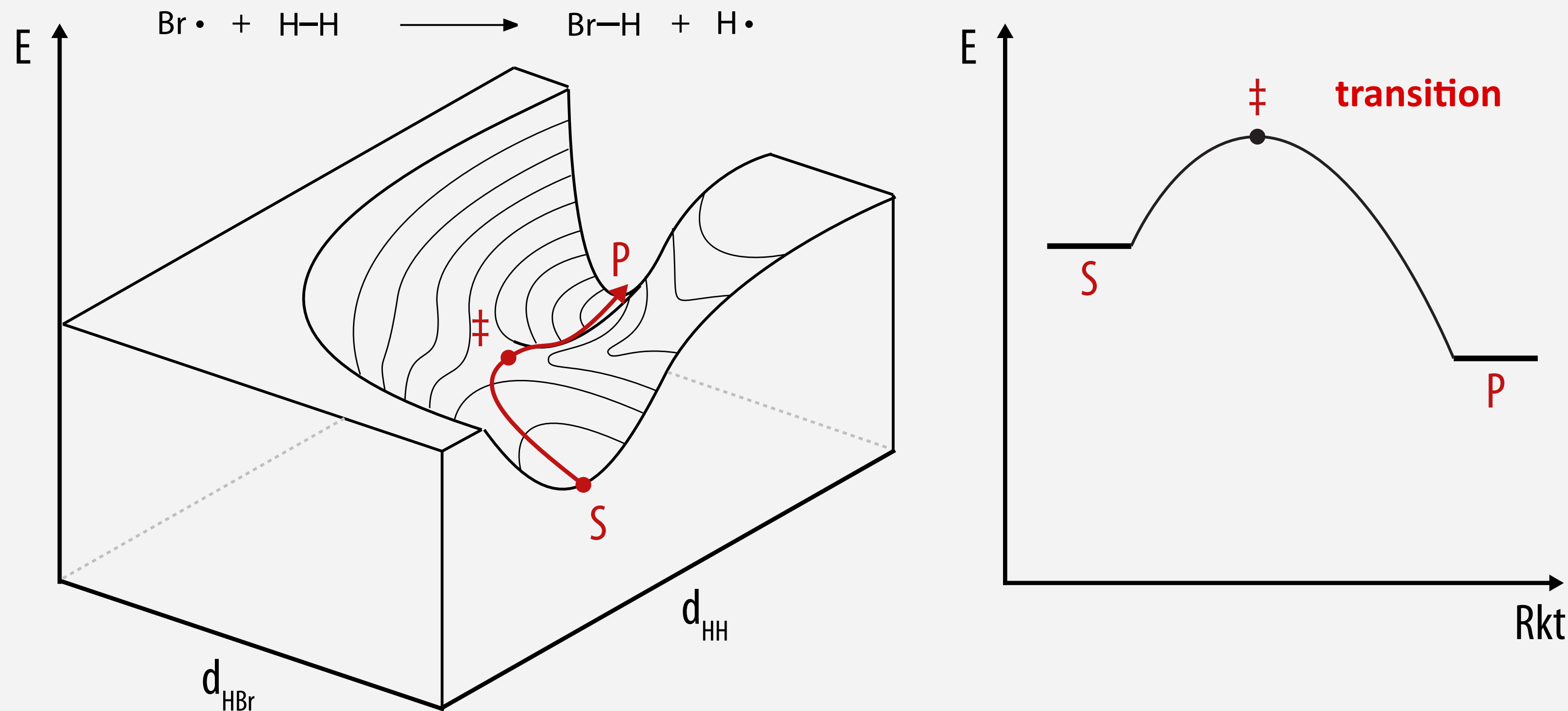
- **reaction profiles** are simplified diagrams describing the **energy profile of chemical reactions**



- starting materials (S) and products (P) are stable compounds, i.e., local energetic minima
- **transition states ($\ddagger$) are saddle points (energy hypersurface), local maxima (reaction profile)**

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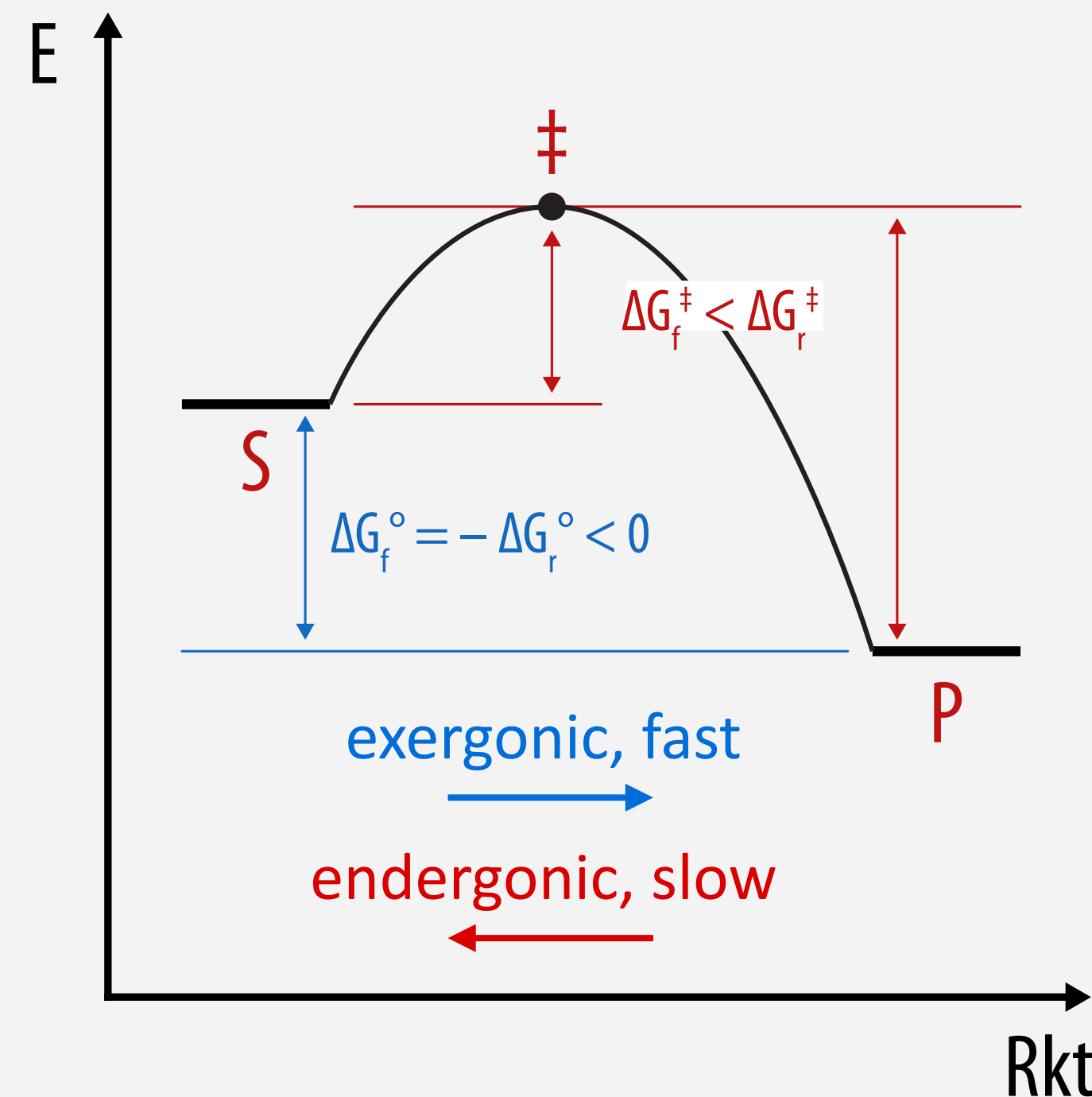
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Relation of Reaction Profiles, Thermodynamics, and Kinetics

- reaction profiles illustrate both thermodynamics and kinetics of chemical reactions



$$\Delta G_R^\ominus = -RT \ln K_R$$

$$\Delta G_R^\ominus = \Delta G_f^\ddagger - \Delta G_r^\ddagger$$

$$K_R = \frac{k_f}{k_r}$$

$$E_{A,r} \approx \Delta G_r^\ddagger = -RT \ln k_r$$

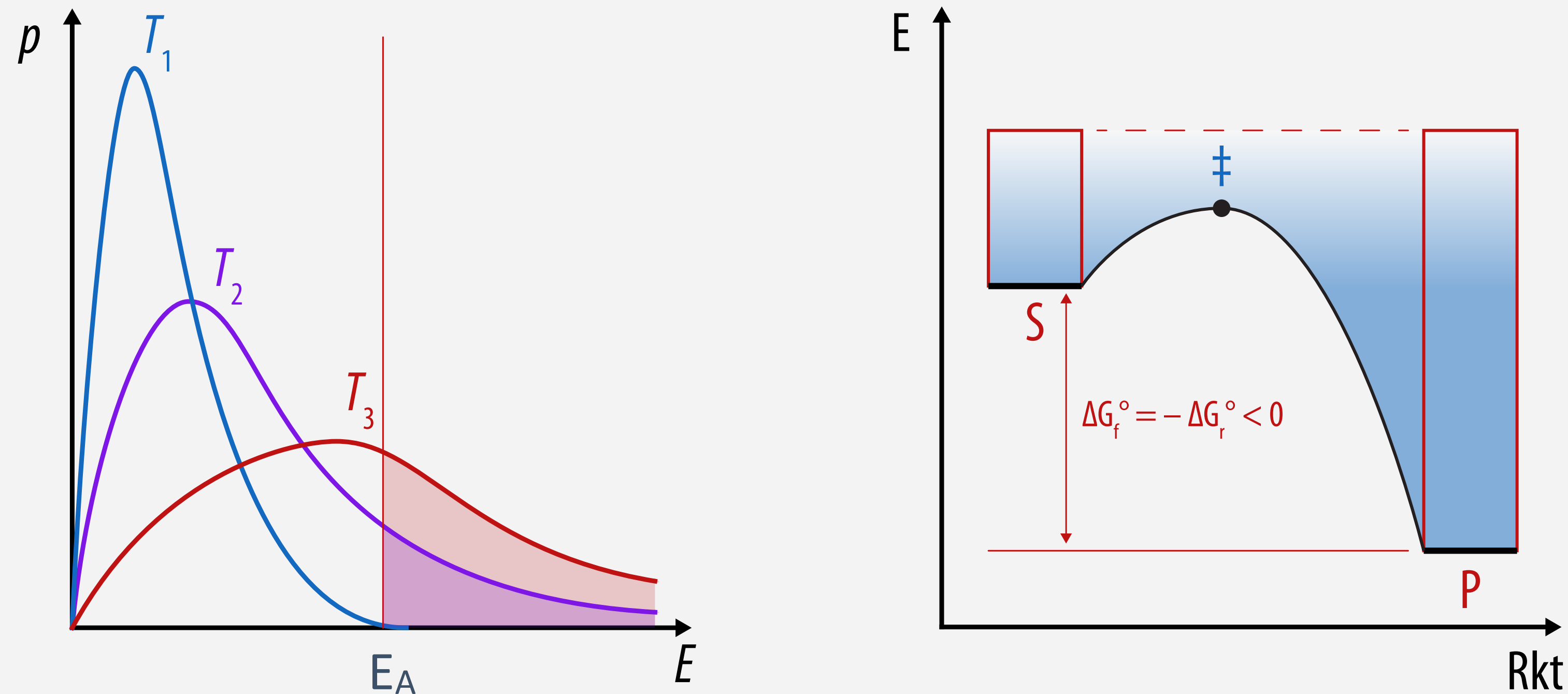
$$E_{A,f} \approx \Delta G_f^\ddagger = -RT \ln k_f$$

- standard free reaction energy ΔG° is difference between (S) and (P) energies
- ΔG° is also the difference between free transition energies $\Delta G^\ddagger$ of forward/reverse reactions
- reaction rates k depend on activation energies $E_A \approx \Delta G^\ddagger$ of chemical reactions

Reaction Kinetics and Thermal Energy

- molecules have energies according to the Boltzmann probability distribution p

$$p(E) = \left(\frac{8}{kT}\right)^{3/2} \left(\frac{E}{\pi}\right)^{1/2} \exp\left(\frac{-E}{kT}\right)$$

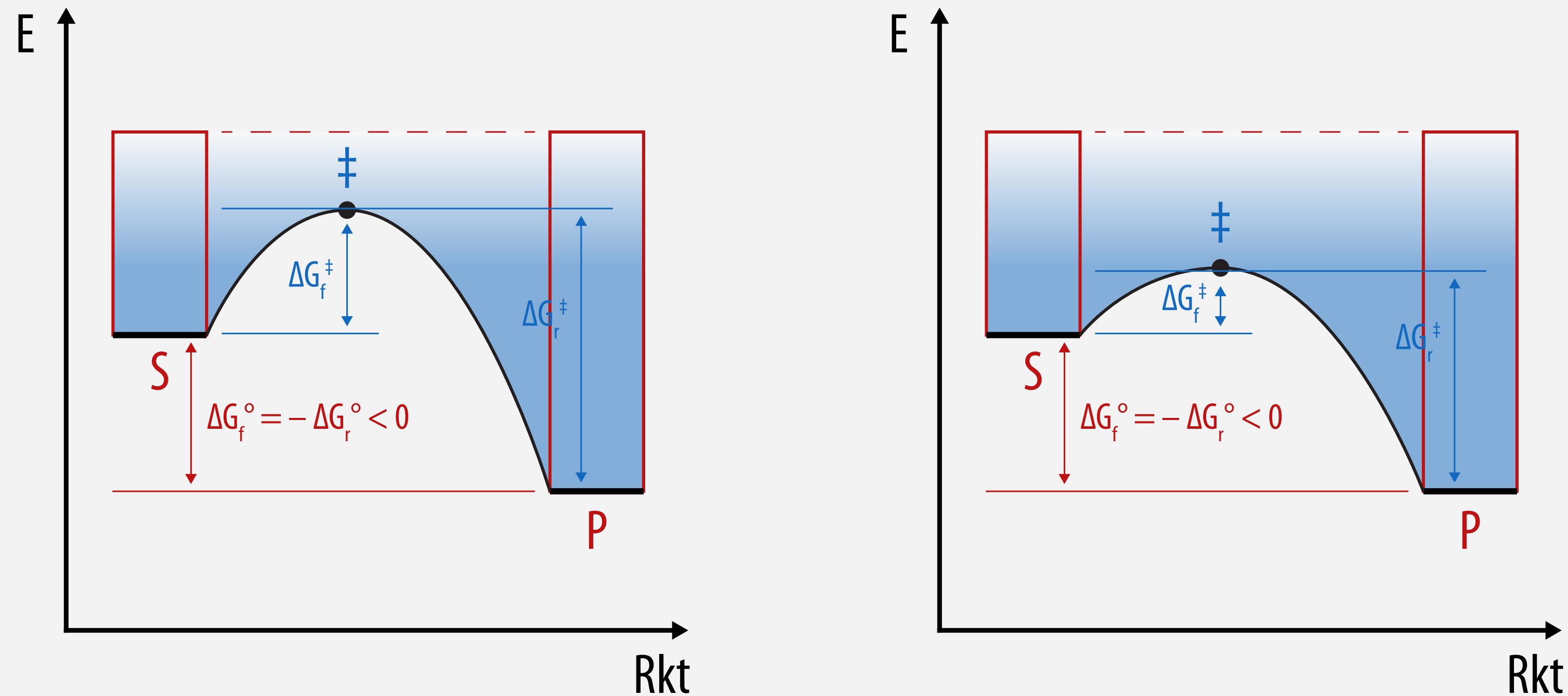


- at higher temperatures, a larger fraction of molecules overcomes activation energy E_A
- both forward and reverse reaction are accelerated

Reaction Profiles: Thermodynamics and Kinetics

- a change in the overall activation barrier will affect the reaction rates but not the equilibrium

$$\Delta G_f^\ddagger = -RT \ln k_f \quad \text{and} \quad \Delta G_r^\ddagger = -RT \ln k_r$$

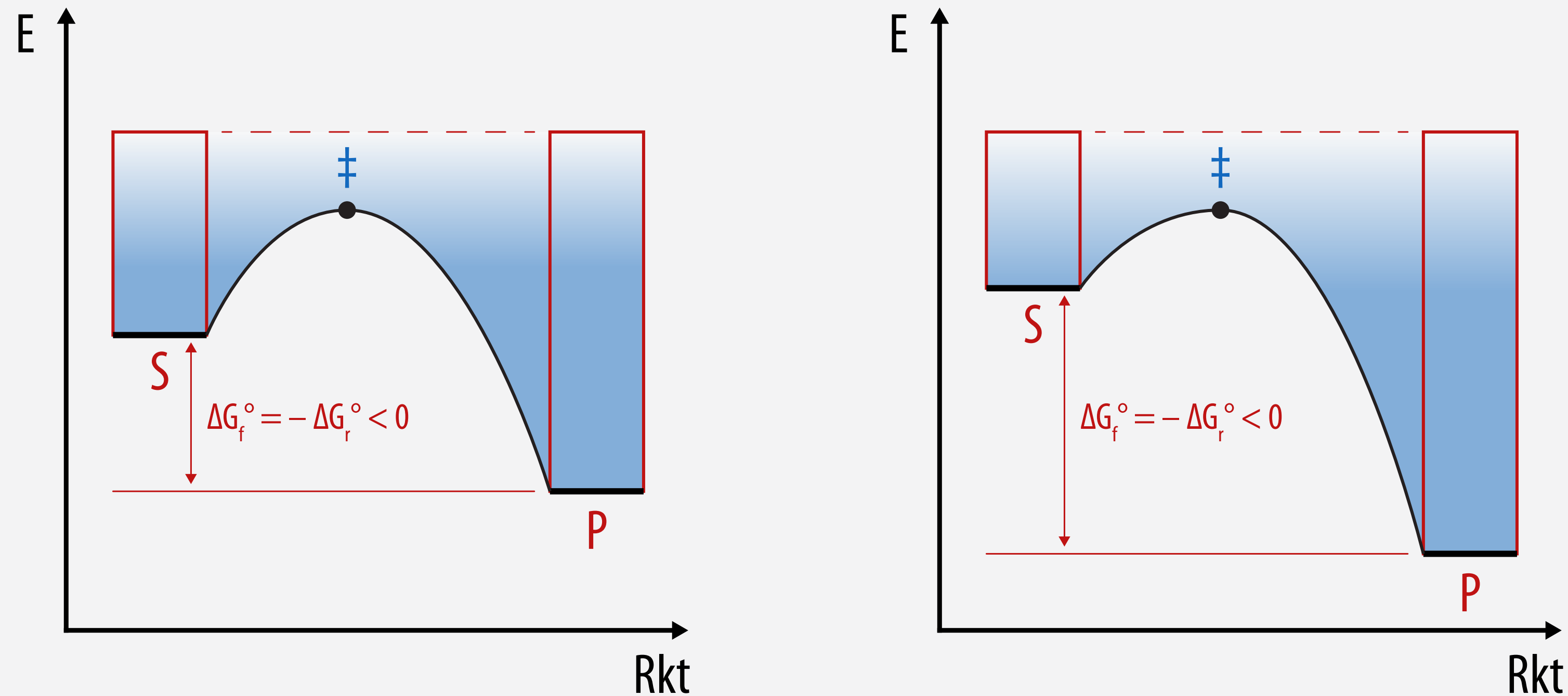


- at a lower activation barrier, forward/reverse reaction both accelerated by same ratio
- catalyst provides new reaction pathway with lower activation barrier (same equilibrium)

Kinetic Interpretation of the Equilibrium

- a more exergonic reaction will be more shifted towards the product side

$$\Delta G_R^\ominus = -RT \ln K_R$$



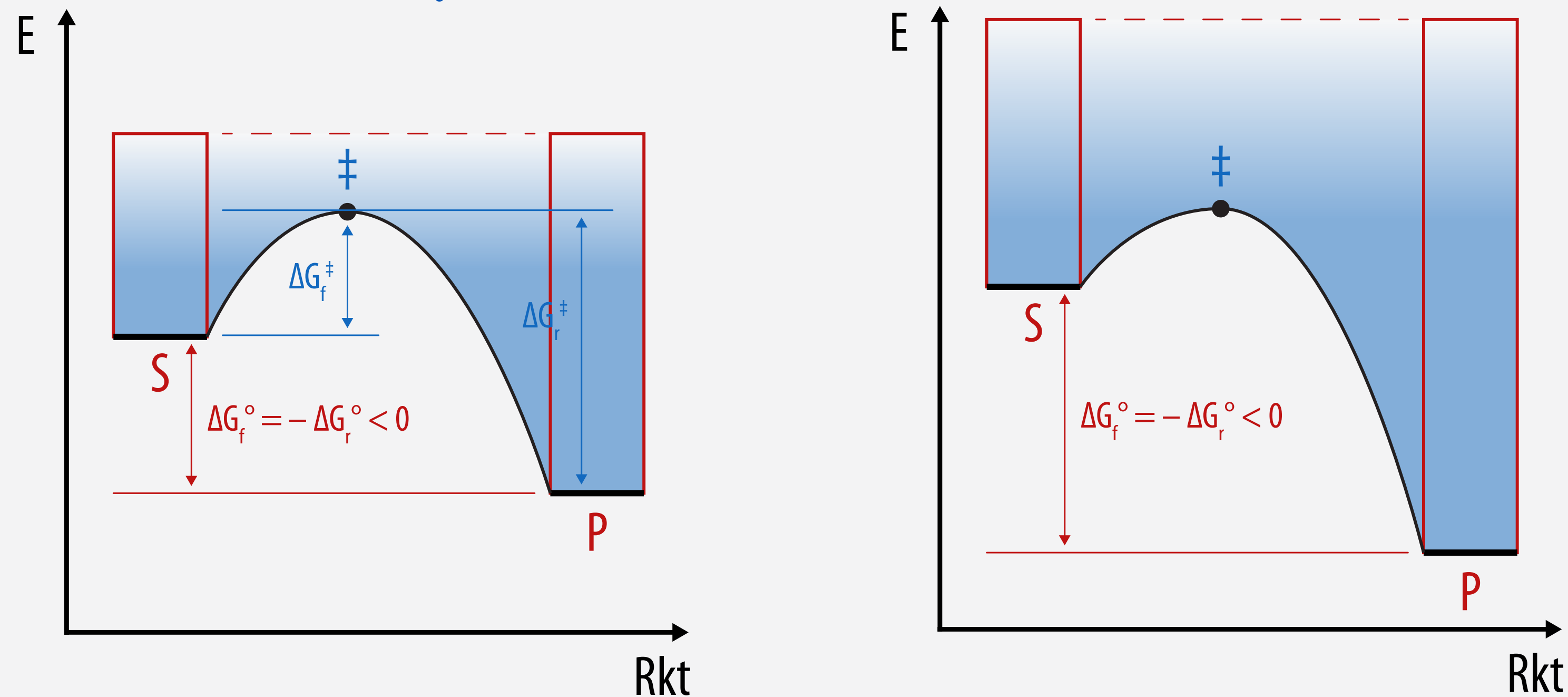
- forward reaction accelerated, reverse reaction decelerated
- ratio of activation energies and hence equilibrium constant K changes,

Reactions at Different Temperatures

- change in temperature will both change kinetics and thermodynamics

$$\Delta G_R^\ominus = \Delta H_R^\ominus - T\Delta S_R^\ominus \quad \text{and} \quad \Delta G_R^\ominus = -RT \ln K_R$$

$$\Delta G_f^\ddagger = -RT \ln k_f \quad \text{and} \quad \Delta G_r^\ddagger = -RT \ln k_r$$

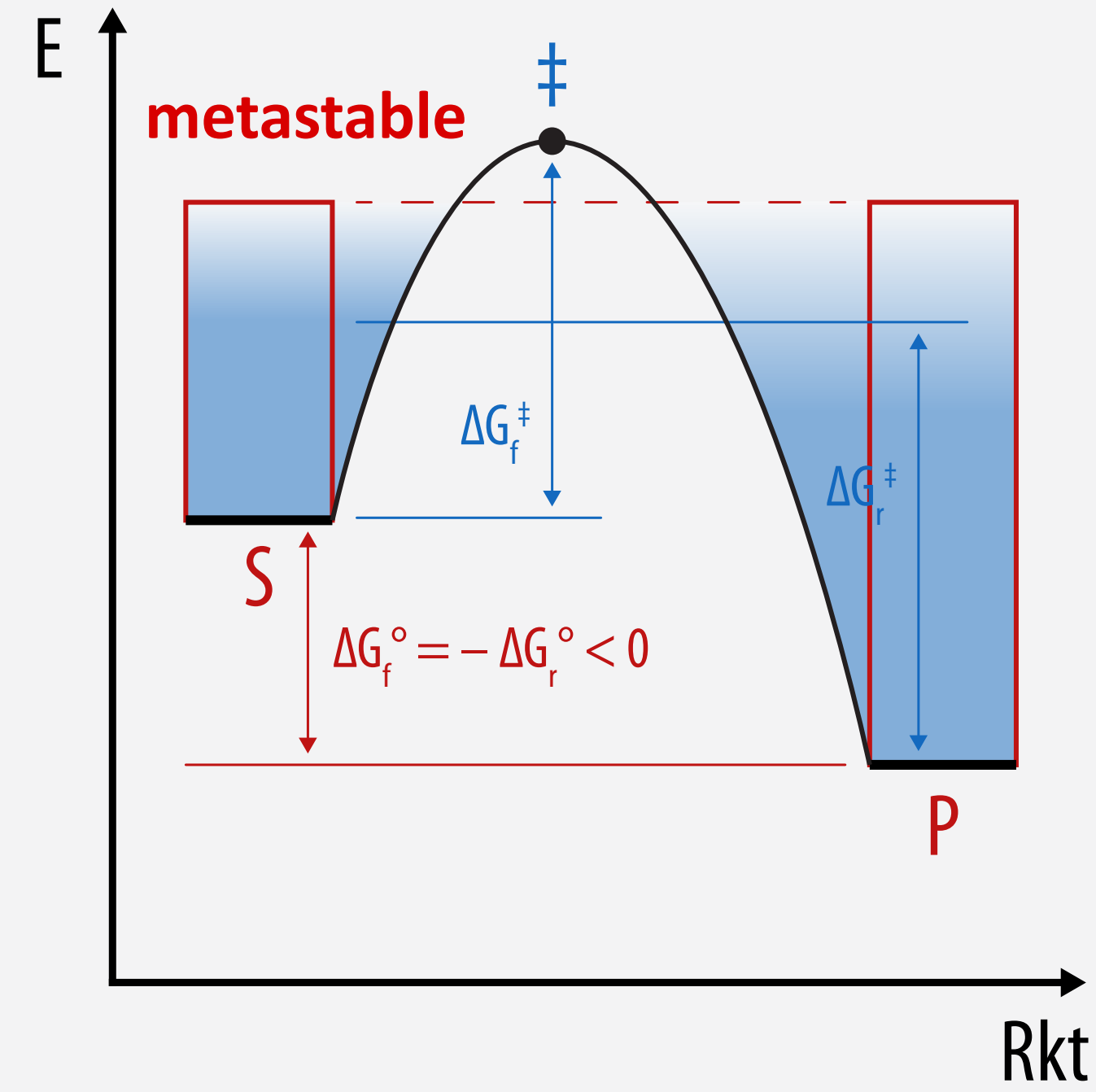
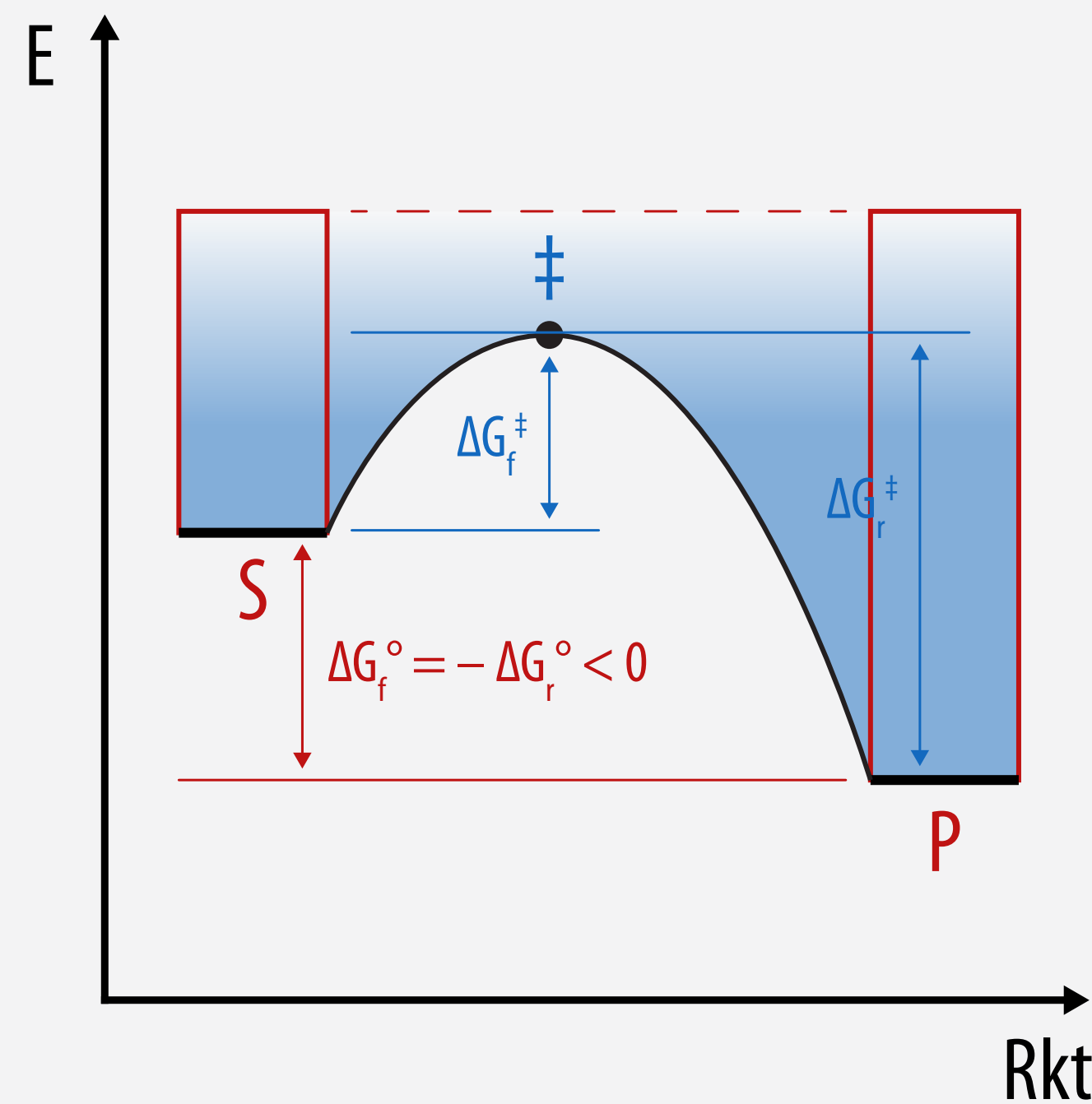


- temperature change affects equilibrium itself (Gibbs / Gibbs-Helmholtz equations)
- change in temperature also changes relative reaction rates (Maxwell distribution)

Metastable States

- if the activation barrier is far above the thermal energy, the equilibrium cannot be established

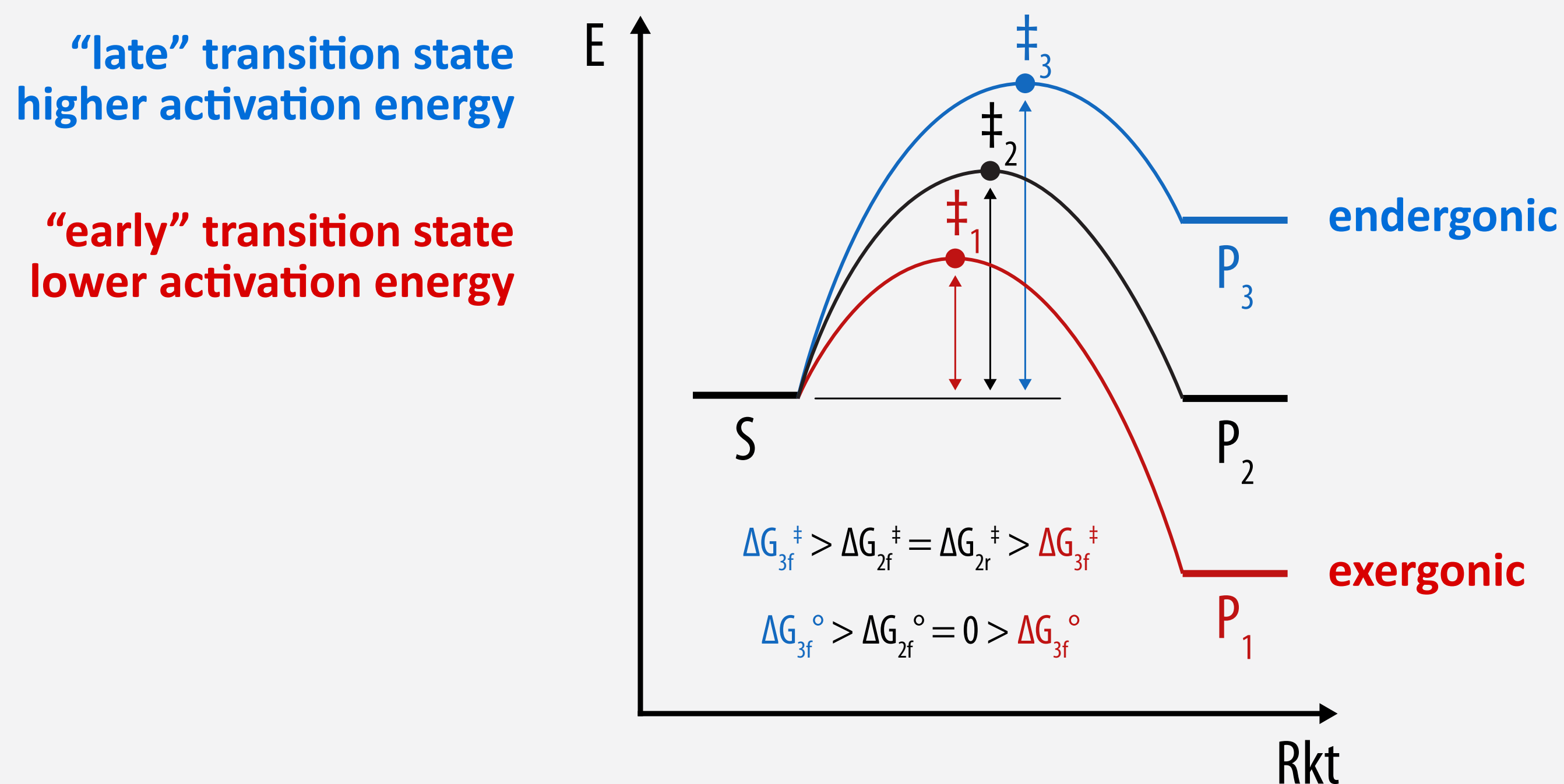
$$\Delta G_f^\ddagger = -RT \ln k_f \quad \text{and} \quad \Delta G_r^\ddagger = -RT \ln k_r$$



- for “very high” activation barriers, forward and reverse reaction become “infinitely slow”
- even “high-energy reactants” are “kinetically stable”, “kinetically trapped”, “metastable”

Hammond Postulate and Polanyi Principle

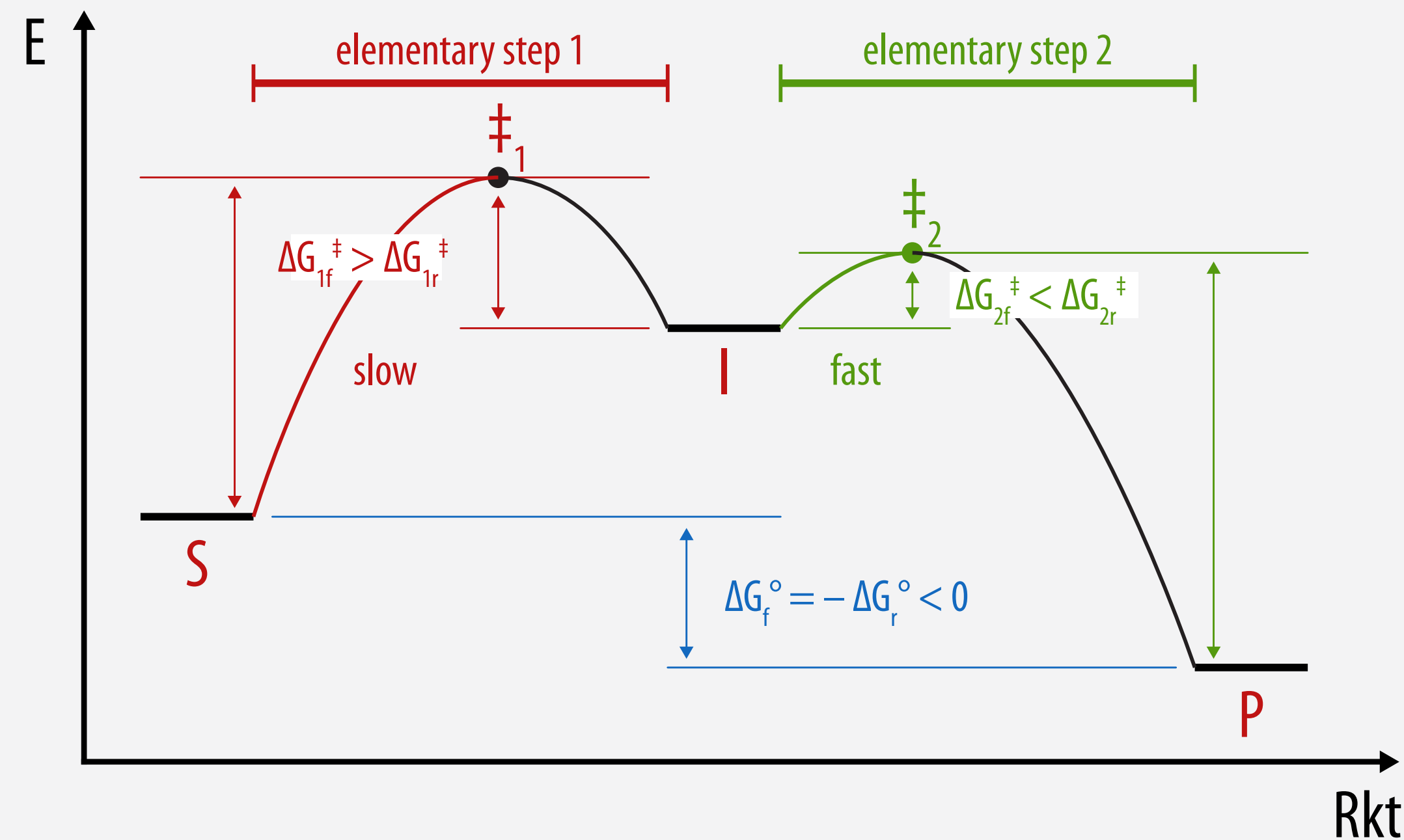
- **Polanyi Principle** and **Hammond Postulate** for mechanistically similar, single-step reactions



- the difference in standard Gibbs' free energies develops proportionally to reaction progress
- activation energies of comparable reactions proportional to difference in Gibbs' free energies
- **Hammond Postulate**: energetically more similar states are also geometrically more similar

Multistep Reactions

- **elementary reactions** are steps between individual local minima in the reaction profile



- overall reaction rate controlled by slowest, rate-determining step
- overall reaction order controlled by molecularity of the slowest, rate-determining step
- typically, the generation of the reactive intermediate is the rate-determining step (Polanyi)

Learning Outcome

- **reaction thermodynamics concerned with the energy balance of reactions**
 - Gibbs free energy decides whether / in which sense a reaction proceeds
 - standard Gibbs free energy gives inherent energetics of a reaction
 - Gibbs-Helmholtz equation describes contribution of enthalpy & entropy
 - enthalpy represents sum of bond formations and cleavages
 - entropy represents changes in the degrees of freedom
- **reaction kinetics concerned with the rates of reactions**
 - relation of reaction order and molecularity in the rate-determining step
 - the lower the activation energy, the faster the reaction
- **Polanyi principle and Hammond postulate**

